

# EE 2245 Microelectronics Labs

## Lab 1: Lab Instruments, DC and AC Circuits (2 Weeks)

實驗室：\_\_\_\_\_組別：\_\_\_\_\_ Names and ID Numbers: \_\_\_\_\_

### Objectives :

- (1) Get familiarized with the instruments in the lab.
- (2) Validate the superposition principle.
- (3) Validate Thévenin's theorem and maximum power transfer through experimental measurements.
- (4) Validate Norton's theorem through experimental measurements.
- (5) Verify the a.c. responses of a RL circuit and a RLC circuit

### Equipment Required:

Resistors: 47  $\Omega$ , 91  $\Omega$ , 100  $\Omega$ , 120  $\Omega$ , 130  $\Omega$ , 150  $\Omega$ , 220  $\Omega$ , 270  $\Omega$ , 330  $\Omega$ , 470  $\Omega$ , 1 k $\Omega$ , 2.2 k $\Omega$ , 3.3 k $\Omega$ , 5.6 k $\Omega$ , 10 k $\Omega$ , 910 k $\Omega$ , 0 – 1 k $\Omega$  potentiometer

Inductor: 10 mH

Capacitor: 0.01  $\mu$ F

Instruments: Digital multimeter (DMM), digital oscilloscope, function generator, and dc power supply.

### Procedure :

#### Part 1: Resistor

Write down the color codes of the following resistors. You should verify the resistor value using the DMM.

270  $\Omega$  : \_\_\_\_\_

5.6 k $\Omega$  : \_\_\_\_\_

910 k $\Omega$  : \_\_\_\_\_

#### Part 2: DC Power Supply

(a) Turn on the dc power supply. Set the output voltages to tracked values of +3 V and -3V, and use a DMM to verify them. Similarly, familiarize yourself with assigning the values independently to + 2V and -4 V, and verify them with a DMM.

(b) The dc power supply can also be used as a current source. Prepare the DMM for current measurement, and connect it to the "+" output port of the supply (no current output at this point). Set the output current at 20 mA from the "+" port, and verify the value with the DMM. Similarly, try to get -20 mA from the "-" port. (Note: In case you do not get the desired current value, you should first check and set the power supply voltage to some value other than zero.)

#### Part 3: Function Generator and Oscilloscope

(a) Probe Calibration: Connect one end of the oscilloscope probe to Channel 1 and the other to the calibration connections at the lower right corner of the scope (different locations on some scopes). Check if the waveform is satisfactory.

(b) Connect a coaxial cable to the output of the function generator, and connect the measuring probe to CH-1 of the oscilloscope. Set the probe's measuring option to "1x" (make sure that the option is "1x" as well in the scope. Connect the "+" and "-" ends of the two wires.

(c) Set the output of the function generator to a 1-kHz sinusoidal waveform of 1-V amplitude. Set the triggering signal source to CH-1. Adjust the trigger level and the x and y grid sizes to display the waveform on screen. Check if the waveform is correct.

Now change the measuring option to "10x" in the probe and the scope. Check if the waveform magnitude is correct.

(d) Following part (c), apply additionally a 1-V dc offset to the sinusoidal waveform. Use the dc-coupling and the ac-coupling modes in scope, and explain below what you see in difference.

Ans.:

#### Part 4: Superposition

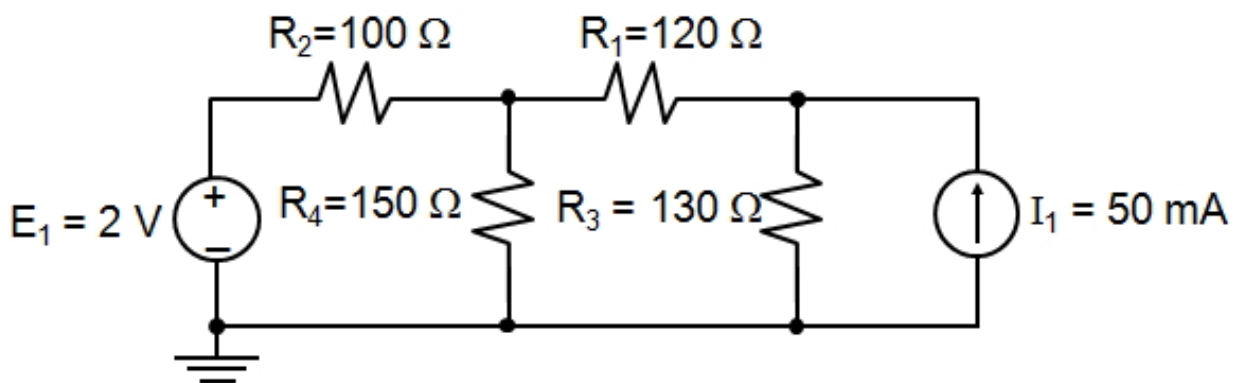


Figure 4-1

(a) The circuit to be analyzed using the superposition principle appears in Fig. 4-1. Measure the individual resistance by a DMM and fill in the values.

$R_1 = \underline{\hspace{2cm}} \Omega$ ,  $R_2 = \underline{\hspace{2cm}} \Omega$ ,  $R_3 = \underline{\hspace{2cm}} \Omega$ , and  $R_4 = \underline{\hspace{2cm}} \Omega$

(b) Using the measured values, analyze the voltage  $V_i$  across each resistor  $R_i$  and the accompanying current  $I_i$  and the delivered power  $P_i$ .

Your Analysis:

$V_1 =$  \_\_\_\_\_ V,  $V_2 =$  \_\_\_\_\_ V,  $V_3 =$  \_\_\_\_\_ V, and  $V_4 =$  \_\_\_\_\_ V  
 $I_1 =$  \_\_\_\_\_ A,  $I_2 =$  \_\_\_\_\_ A,  $I_3 =$  \_\_\_\_\_ A, and  $I_4 =$  \_\_\_\_\_ A  
 $P_1 =$  \_\_\_\_\_ W,  $P_2 =$  \_\_\_\_\_ W,  $P_3 =$  \_\_\_\_\_ W, and  $P_4 =$  \_\_\_\_\_ W

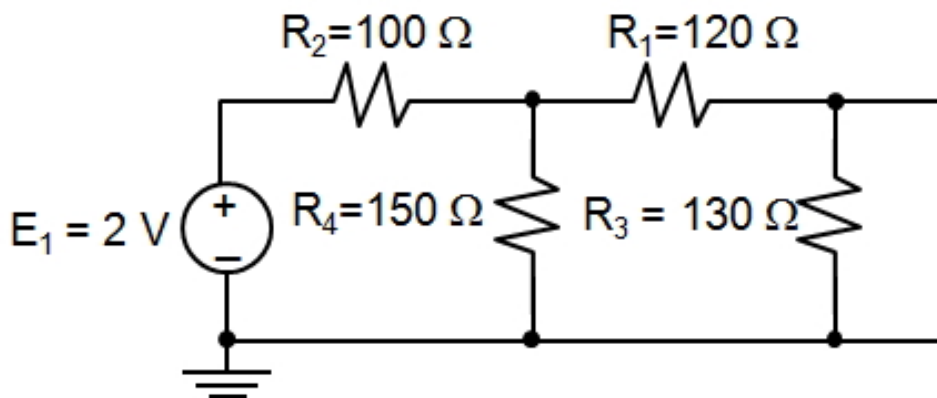


Figure 4-2

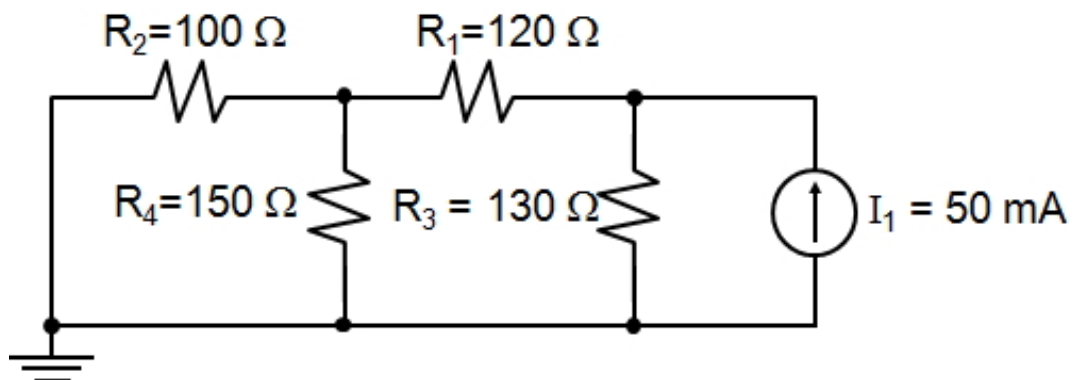


Figure 4-3

(c) Determine the effect of  $E_1$ . Construct the network of Fig. 4-2 and measure the voltages  $V_{i1}$  across resistors (**Note:** In case you cannot raise the voltage to 2 V, try increase the current limit of the power supply using ISET). Calculate the currents  $I_{i1}$  and the delivered power  $P_{i1}$  accordingly using the measured resistance values (**Note:** You will get less accurate results by measuring the current directly, because the internal resistance of DMM is not small enough).

$$V_{11} = \text{_____ V}, V_{21} = \text{_____ V}, V_{31} = \text{_____ V}, \text{ and } V_{41} = \text{_____ V}$$

$$I_{11} = \text{_____ A}, I_{21} = \text{_____ A}, I_{31} = \text{_____ A}, \text{ and } I_{41} = \text{_____ A}$$

$$P_{11} = \text{_____ W}, P_{21} = \text{_____ W}, P_{31} = \text{_____ W}, \text{ and } P_{41} = \text{_____ W}$$

(d) Determine the effect of  $I_1$ . Construct the network of Fig. 4-3 and measure the voltages  $V_{i2}$  across resistors. **Calculate** the currents  $I_{i2}$  and  $P_{i2}$  accordingly using the measured resistance values.

$$V_{12} = \text{_____ V}, V_{22} = \text{_____ V}, V_{32} = \text{_____ V}, \text{ and } V_{42} = \text{_____ V}$$

$$I_{12} = \text{_____ A}, I_{22} = \text{_____ A}, I_{32} = \text{_____ A}, \text{ and } I_{42} = \text{_____ A}$$

$$P_{12} = \text{_____ W}, P_{22} = \text{_____ W}, P_{32} = \text{_____ W}, \text{ and } P_{42} = \text{_____ W}$$

(e) Add up  $V_{i1}$  and  $V_{i2}$  and fill in the blanks below. Comment on your comparison with respect to results of part 4(b).

$$V_{1(total)} = \text{_____ V}, V_{2(total)} = \text{_____ V}, V_{3(total)} = \text{_____ V}, \text{ and } V_{4(total)} = \text{_____ V}$$

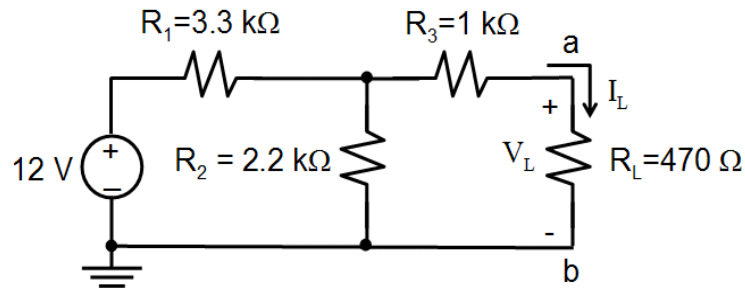
Your Comment:

(f) Add up  $P_{i1}$  and  $P_{i2}$  and fill in the blanks below. Comment on your comparison with respect to results of part 4(b). Is the superposition applicable to the power effects? Explain.

$$P_{1(total)} = \text{_____ W}, P_{2(total)} = \text{_____ W}, P_{3(total)} = \text{_____ W}, \text{ and } P_{4(total)} = \text{_____ W}$$

Ans.:

**Part 5: Thévenin's Theorem**



**Figure 5-1**

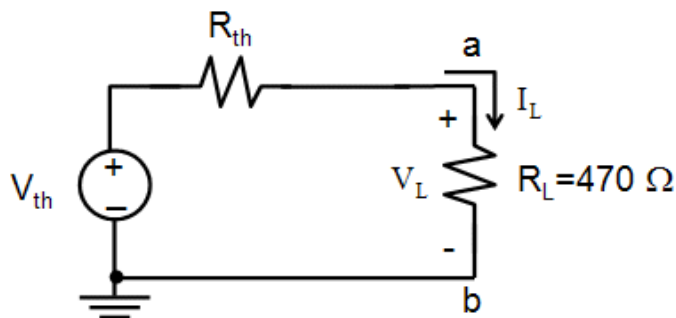
(a) Construct the network of Fig. 5.1 (power is off for now). Calculate the Thévenin voltage  $V_{th}$  and resistance  $R_{th}$  by using the open-circuit voltage and the short-circuit current for the network to the left of the resistor  $R_L$ . The calculation should be based on the measured resistances.

$R_{1 \text{ measured}} = \text{_____} \Omega$ ,  $R_{2 \text{ measured}} = \text{_____} \Omega$ ,  $R_{3 \text{ measured}} = \text{_____} \Omega$ ,  $R_{L \text{ measured}} = \text{_____} \Omega$

Analysis:

$V_{th} = \text{_____} \text{ V}$ ,  $R_{th} = \text{_____} \Omega$

(b) Using the Thévenin equivalent circuit in Fig. 5-2, calculate the current  $I_L$ .



**Figure 5-2**

Calculation:

$$I_L = \text{_____ A}$$

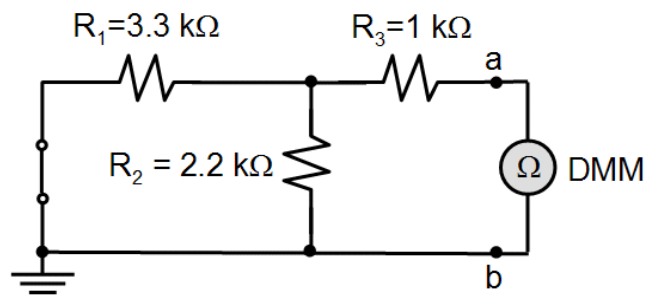
(c) Turn on the power supply in Fig. 5-1 and measure the voltage  $V_L$ . Use the measured value of  $R_L$  to calculate the current  $I_L$ .

$$V_{L \text{ measured}} = \text{_____ V}, I_{L \text{ measured}} = \text{_____ A}$$

How does the measured value of  $I_L$  compare with the calculated value in part (b)?

Your Comment:

(d) Determine  $R_{th}$  by constructing the network of Fig. 5-3 and measuring the resistance between points a-b with  $R_L$  removed.



**Figure 5-3**

$$R_{th \text{ measured}} = \text{_____ } \Omega$$

How does the measured value compare with the calculated value in part (a)?

Your Comment:

(e) Determine  $V_{th}$  by constructing the network of Fig. 5-4 and measuring between points with  $R_L$  removed.

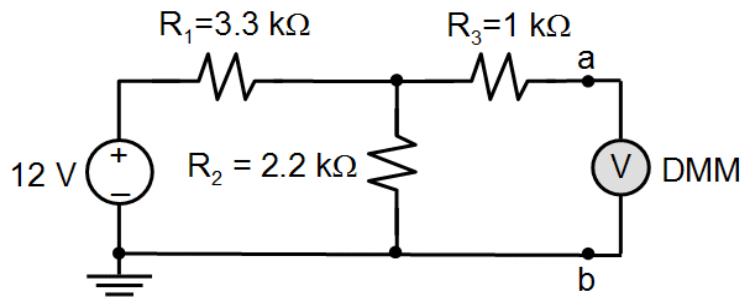


Figure 5-4

$V_{th \text{ measured}} = \underline{\hspace{2cm}} \text{ V}$

How does the measured value compare with the calculated value in part (a)?

Your Comment:

**Part 6: Maximum Power Transfer**

(a) Construct the network of Fig. 6-1. Insert measured values of each resistor.

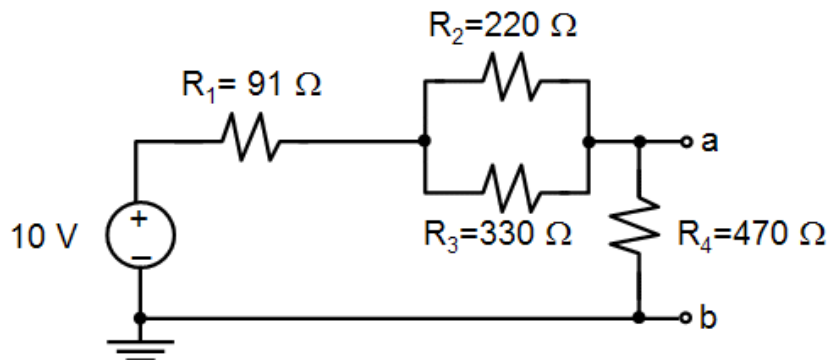


Figure 6-1

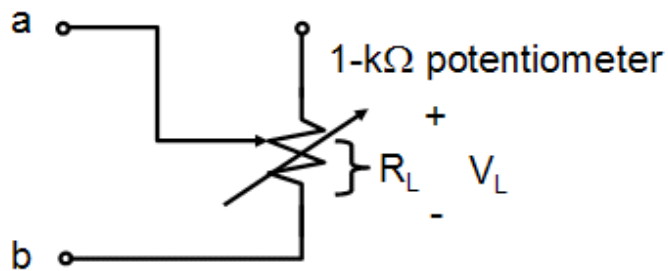


Figure 6-2

$R_{1 \text{ measured}} = \underline{\hspace{2cm}}, R_{2 \text{ measured}} = \underline{\hspace{2cm}}, R_{3 \text{ measured}} = \underline{\hspace{2cm}}, R_{4 \text{ measured}} = \underline{\hspace{2cm}}$

(b) The Thévenin equivalent circuit will now be determined for the network to the left of the terminals a-b without disturbing the structure of the network. All the measurements will be made at the terminal a-b.

Determine  $E_{Th}$  by turning on the supply and measuring the open-circuit voltage  $V_{ab}$ .

$$E_{Th} = V_{ab} = \underline{\hspace{2cm}}$$

Introduce the 1-k $\Omega$  potentiometer to the terminals a-b as shown in Fig. 6-2. Turn on the supply and adjust the potentiometer until the voltage  $V_L$  is  $E_{th}/2$ , a condition that must exist if  $R_L = R_{Th}$ . Then turn off the supply and remove the potentiometer from the network carefully. Measure the resistance between the two terminals connected to a-b and record as  $R_{Th}$ .

$$R_{Th} = R_L = \underline{\hspace{2cm}}$$

(c) Now we need to check our measured results against a theoretic solution. Calculate  $R_{Th}$  and  $E_{Th}$  for the network to the left of terminals a-b of Fig. 6-1. Use measured resistor values.

Calculation:

$$R_{Th} = \underline{\hspace{2cm}}, E_{Th} = \underline{\hspace{2cm}}$$

How do the calculated and measured values compare?

Comment:

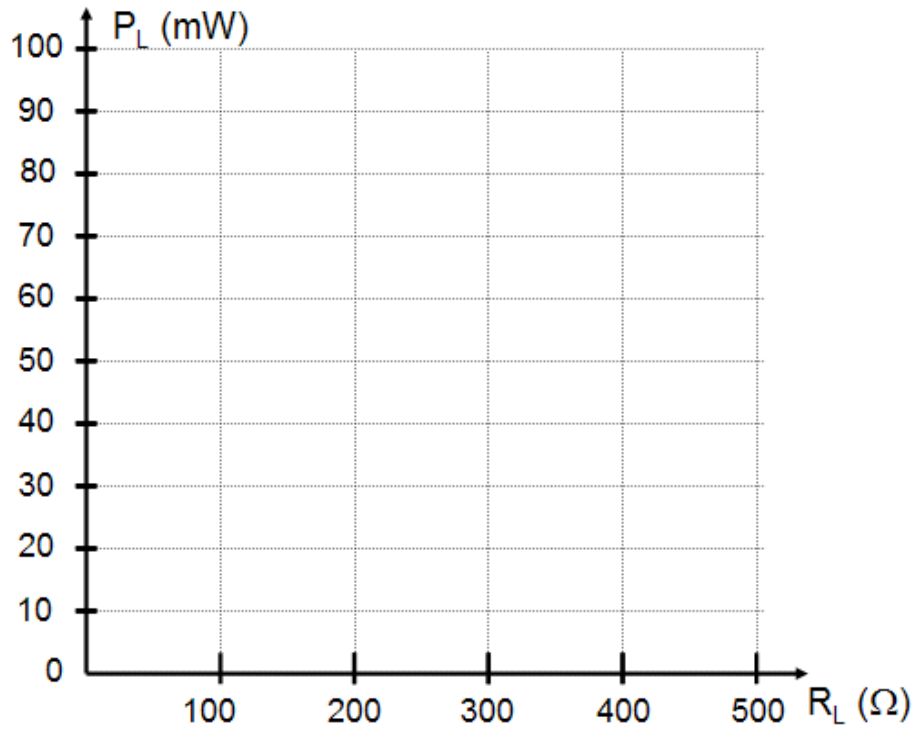
(d) Let us now plot  $P_L$  versus  $R_L$  to confirm the condition for maximum power transfer. Leave the potentiometer as connected in Fig. 6-2 and measure  $V_L$  for all the values  $R_L$  appearing in Table 6-1. (Note: Be sure to remove the potentiometer from the network when setting each value of  $R_L$ . At the very least, disconnect one side of the potentiometer when making the setting.) Then calculate the resulting power to the load and complete the table. Finally, plot  $P_L$  vs.  $R_L$  on Graph 6-1. Please comment on if the drawn curve matches your expectation.

Comment:



**Table 6-1**

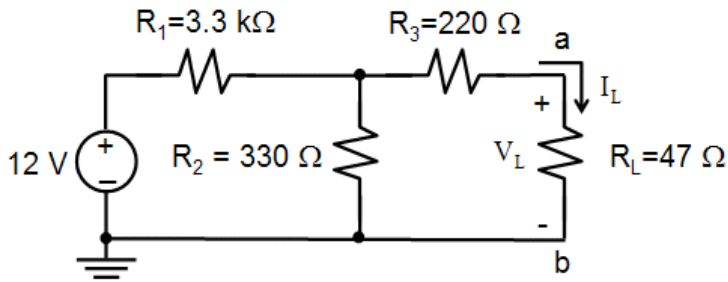
$R_L (\Omega)$	$V_L$ (measured)	$P_L = V_L^2/R_L$ (mW)
0	0	0
25		
50		
100		
150		
200		
250		
300		
350		
400		
450		
500		



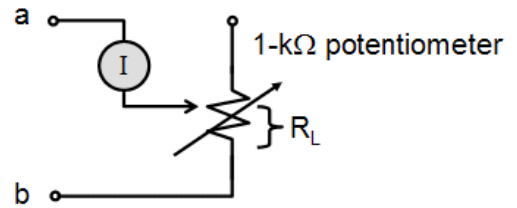
**Graph 6-1**

**Part 7: Norton's Theorem**

(a) Construct the network of Fig. 7-1(a) (power is off for now). Fill in the measured resistance values.



**Figure 7-1 (a)**



**Figure 7-1(b)**

$R_{1 \text{ measured}} = \underline{\hspace{2cm}} \Omega$ ,  $R_{2 \text{ measured}} = \underline{\hspace{2cm}} \Omega$ ,  $R_{3 \text{ measured}} = \underline{\hspace{2cm}} \Omega$ ,  $R_{L \text{ measured}} = \underline{\hspace{2cm}} \Omega$

(b) Using the measured resistance values, calculate the Norton current ( $I_N = V_{th}/R_{th}$ ) and the Norton resistance ( $R_N = R_{th}$ ) for the network to the left of the 47-Ω resistor. See Fig. 7-3(a).

Calculation:

$R_N = \underline{\hspace{2cm}} \Omega$ ,  $I_N = \underline{\hspace{2cm}} \text{ A}$

(c) Using the Norton equivalent circuit in Fig. 7-3(a), calculate the current  $I_L$  for a load of 47 Ω.

Calculation:

$I_L = \underline{\hspace{2cm}} \text{ A}$

(d) Now return to Fig. 7-1(a). Turn on the supply and measure the voltage  $V_{ab}$ . Then calculate the current  $I_L$  using the measured resistor value.

$V_{ab} = \underline{\hspace{2cm}} \text{ V}$

$I_{L \text{ measured}} = \underline{\hspace{2cm}} \text{ A}$

Calculation:

How do the  $I_L$  values in (c) and (d) compare?

Your comment:

(e) The following procedure will show you how to measure the Norton current and resistance when the circuit schematic is assumed unknown. The value of  $I_N$  can be determined by replacing the 47- $\Omega$  resistor by a short circuit and measuring the short-circuit current. You can accomplish this by removing the 47- $\Omega$  resistor and replacing it by the ammeter section of the DMM. Please fill in the value.

$$I_{N \text{ measured}} = \underline{\hspace{2cm}} \text{ A}$$

How do the  $I_N$  values in (b) and (e) compare?

Your comment:

(f)  $R_N$  is now experimentally determined by first calculating  $I_N/2$  using the measured value from part (e). For the Norton equivalent circuit with  $R_L = R_N$ , we get  $I_L = I_N/2$ .

$$\frac{I_N}{2} = \underline{\hspace{2cm}} \text{ A}$$

As shown in Fig. 7-1(b), remove the 47 $\Omega$  resistor and connect the 1-k $\Omega$  potentiometer and ammeter in a series configuration between points a-b. Turn on the supply and vary the potentiometer until the ammeter reading is  $I_N/2$ . Then remove the potentiometer and measure its value, which should be equal to  $R_N$ .

$$R_{N \text{ measured}} = \underline{\hspace{2cm}} \Omega$$

**Note:** Since the internal resistance of the ammeter in our lab is relatively larger than expected, you would notice some difference in the  $R_N$  values measured in (b) and (f).

(g) We will now construct the Norton equivalent circuit defined by the calculated values of  $R_N$  and  $I_N$  from part (b). First construct the network of Fig. 7-2.

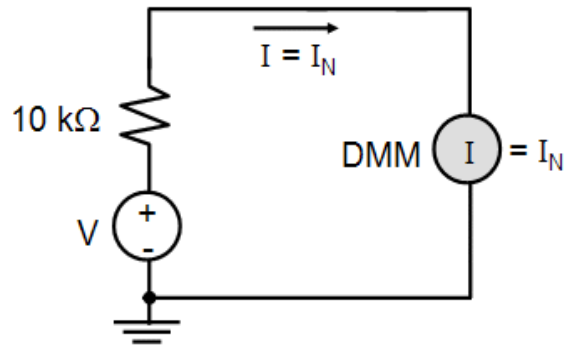


Figure 7-2

Then vary the dc supply voltage until the DMM indicates the value of  $I_N$  from part (b). Record the values of  $V$  and  $I_N$ .

$V = \underline{\hspace{2cm}}$  V,  $I_N = \underline{\hspace{2cm}}$  A

Next remove the DMM and, using it as an ohmmeter, set the 0-1-kΩ potentiometer to the value of  $R_N$  from part (b). Now insert the potentiometer in the circuit of Fig. 7-3(b)

$R_N = \underline{\hspace{2cm}}$  Ω

The network of Fig. 7-3(b) is the Norton equivalent circuit. The 0-1-kΩ potentiometer is equivalent to  $R_N$ , and the 10-kΩ resistor in series with the dc source is the equivalent current source. The 10-kΩ resistor is chosen to ensure minimum sensitivity on  $I_N$  to the smaller resistor value connected in parallel in Fig. 7-3(b).

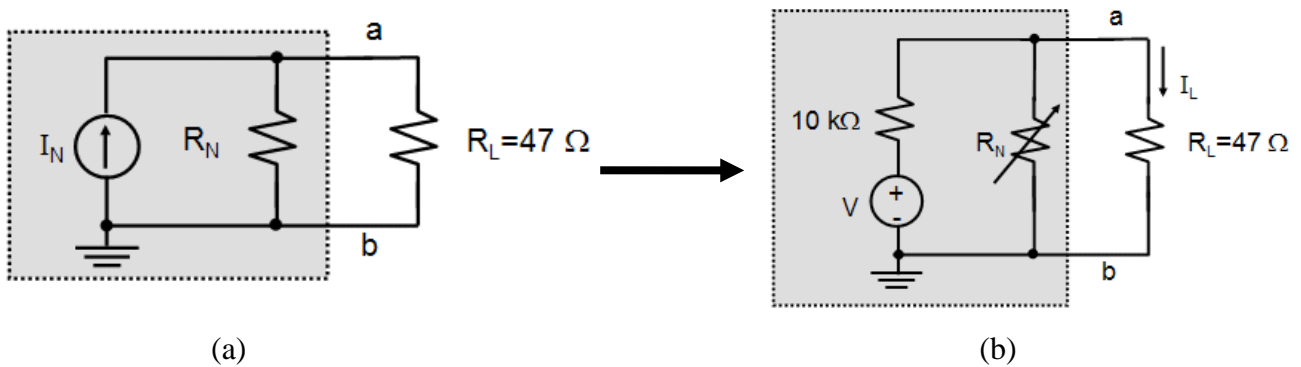


Figure 7-3

Measure the voltage  $V_{ab}$  and compute  $I_L$  using the measured resistor value.

$V_{ab} = \underline{\hspace{2cm}}$  V,  $I_L = \underline{\hspace{2cm}}$  A

How does the  $I_L$  value here compare with the calculated level from part (c)? Has the Norton equivalent circuit been verified with respect to Fig. 7-1?

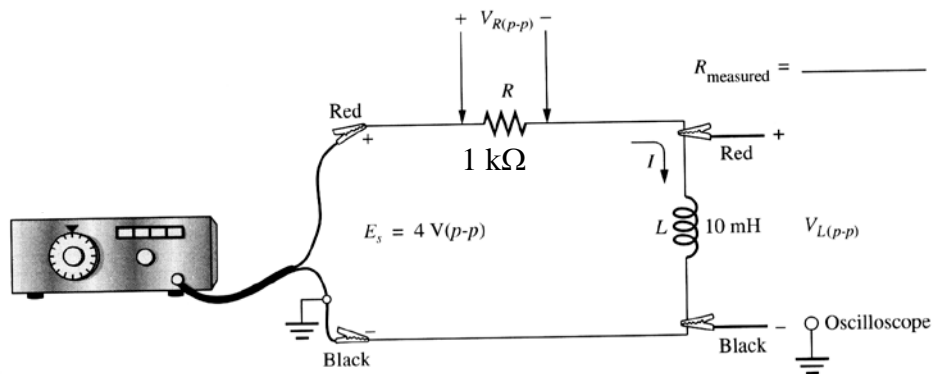
Ans.:

**Part 8: 1<sup>st</sup>-order R-L circuit**

**Part 8-1:  $V_L$ ,  $V_R$ , and I versus Frequency**

(a) Construct the network as shown in Fig. 8-1. Insert the measured resistance value. For the frequency range of interest, we will ignore the effects of the internal resistance of the inductor.

(b) Please first connect the output of the function generator to the oscilloscope to make sure that you get 4 V (p-p) before connect to the RL circuit. Record the voltage  $V_{L(p-p)}$  for the frequencies appearing in Table 8-1. DO NOT MEASURE THE VOLTAGE  $V_R$  AT THIS POINT! The grounds of the supply and the scope are connected together and thus will short out the effect of the inductor when you measure  $V_R$  directly. And doing so may result in damage to the equipment.



**Figure 8-1**

(c) Turn off the supply and interchange the positions of  $R$  and  $L$  in Fig. 8-1 (**VERY IMPORTANT!**) and measure  $V_{R(p-p)}$  for the same frequencies. Write down the measurements in Table 8-1.

(d) Calculate  $I_{p-p} = V_{R(p-p)} / R_{measured}$  and insert the values in Table 8-1.

(e) Calculate the reactance  $X_L (=V_{L(p-p)} / I_{(p-p)}$ , magnitude only) at each frequency and insert the values in Table 8-1. Also, calculate the reactance ( $X_{L(calculated)} = 2\pi fL$ ) at each frequency using the inductance value (10 mH) and complete the table.

**Table 8-1**

Frequency (kHz)	$V_{L(p-p)}$ (V)	$V_{R(p-p)}$ (V)	$I_{(p-p)}$ (A)	$X_{L(measured)} = V_{L(p-p)} / I_{(p-p)}$	$X_{L(calculated)} = 2\pi fL$
1					
5					
10					

13					
16					
20					
30					
40					
60					
80					
100					

(f) How do the measured and calculated values of  $X_L$  compare?

Comment:

(g) Plot the measured value of  $X_L$  versus frequency on Graph 8-1. Is the resulting plot a straight line? Should it be? Why?

Comment:

(h) Use the measured  $X_L$  on Graph 8-1 to calculate a reasonable value for  $L$  from  $L = X_L/2\pi f$ .

$$L_{(measured)} = \text{_____} \text{ H}$$



**Graph 8-1**

(i) Plot the curve of  $V_{L(p-p)}$  vs. frequency on Graph 8-2 and label the name of the curve.

(j) Plot the curve of  $V_{R(p-p)}$  vs. frequency on Graph 8-2 and label the name of the curve.

(k) As the frequency increases, describe in a few sentences what happens to the voltages across the inductor and the resistor. Explain why.

Comment:

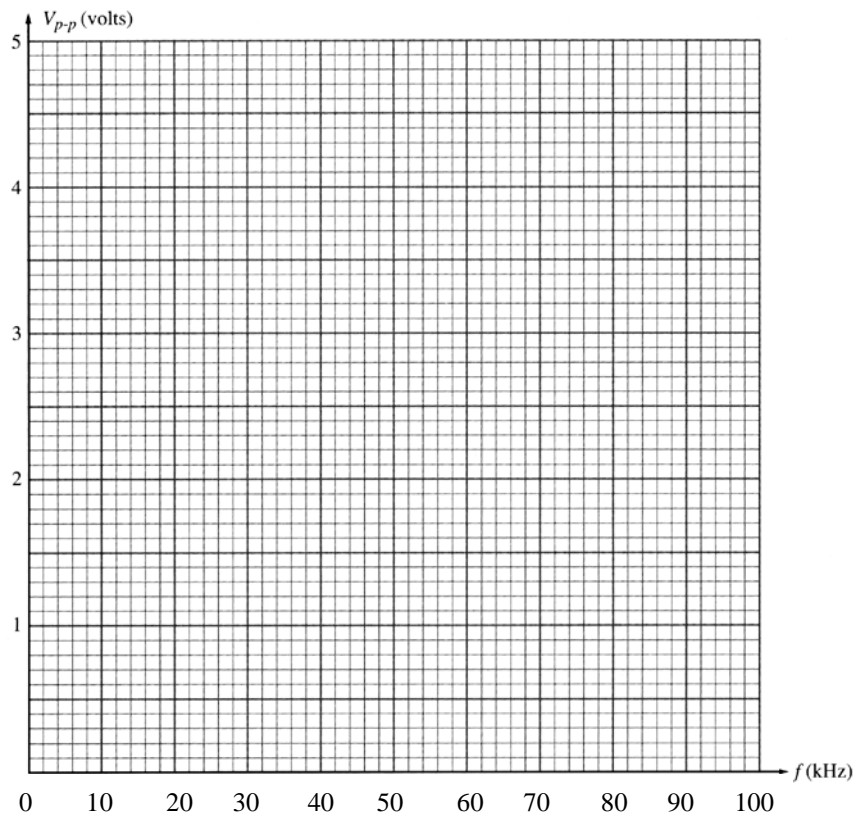
(l) At the point where  $V_L = V_R$ , does the reactance  $X_L = R$ ? Should they be equal? Why? Record the level of voltages and the impedance of each element below.

Comment:

$V_L = V_R = \underline{\hspace{2cm}} \text{ V}$

$X_L = \underline{\hspace{2cm}} \Omega$

$R = \underline{\hspace{2cm}} \Omega$



**Graph 8-2**

(m) Determine  $V_{L(p-p)}$  and  $V_{R(p-p)}$  at some random frequency such as 50 kHz from the curves.

$$V_{L(p-p)} = \text{_____ V}, \quad V_{R(p-p)} = \text{_____ V}$$

Are the magnitudes such that  $V_{L(p-p)} + V_{R(p-p)} = E_{(p-p)}$ ? If not, why not? Please explain.

Comment:

(n) Plot the curve of  $I_{(p-p)}$  vs. frequency on Graph 8-3.

(o) How does the curve of  $I_{p-p}$  vs. frequency compare to the curve of  $V_{R(p-p)}$  vs. frequency? Explain why they compare as they do.

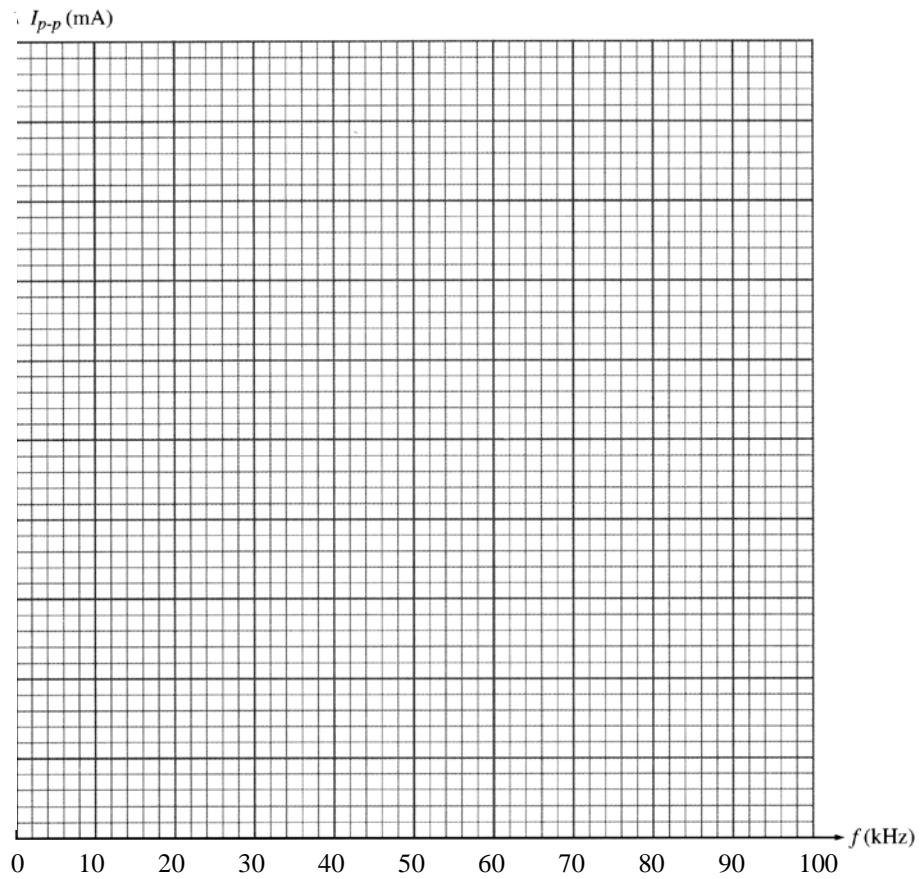
Comment:

(p) Calculate the voltage  $V_{L(p-p)}$  at a frequency of 40 kHz using the measured  $L$  (from (h)) and  $R$ , and compare with the measured result of Table 8-1.

Calculation:

$$V_{L(p-p)} \text{ (calculated)} = \text{_____ V}, \quad V_{L(p-p)} \text{ (measured)} = \text{_____ V}$$





**Graph 8-3**

(q) At low frequencies the inductor approaches a low-impedance short-circuit equivalent and at high frequencies a high-impedance open-circuit equivalent. Do the data of Table 8-1 and Graph 8-2 and 8-3 verify the above statement? Comment accordingly.

Comment:

**Part 8-2: The Total Impedance  $Z_T$  versus Frequency**

(a) Transfer the results of  $I_{p-p}$  from Table 8-1 to Table 8-2 for each frequency.

**Table 8-2**

Frequency (kHz)	$E_{p-p}$ (V)	$I_{p-p}$ (mA)	$Z_T = E_{p-p} / I_{p-p}$	$Z_T = \sqrt{R^2 + X_L^2}$
1	4			
5	4			
10	4			

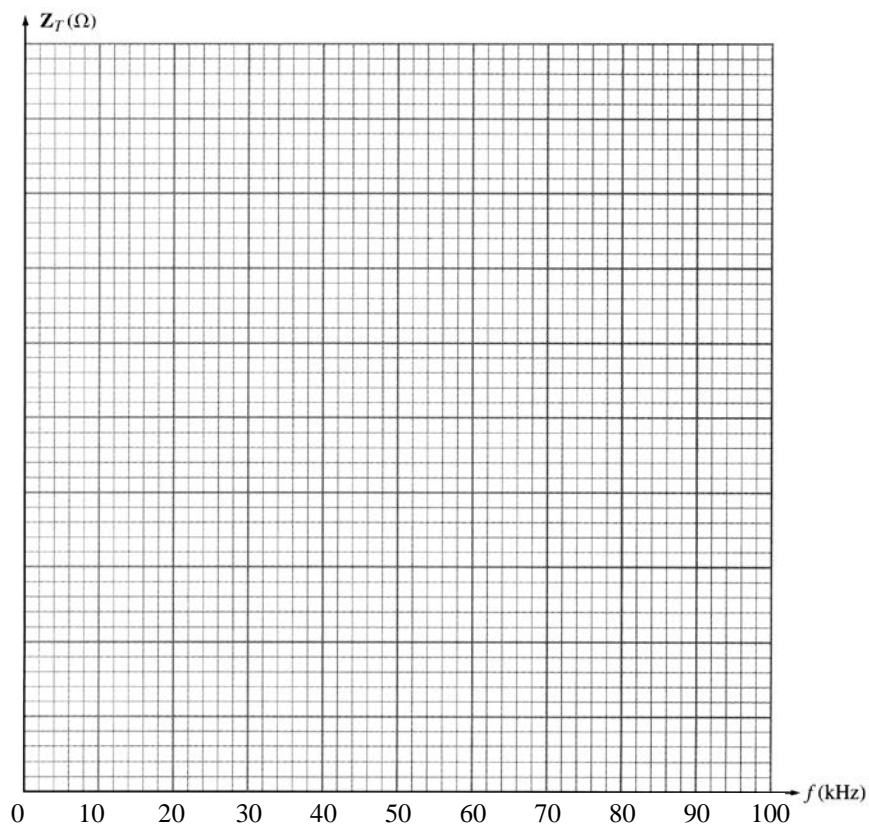
13	4			
16	4			
20	4			
30	4			
40	4			
60	4			
80	4			
100	4			

(b) At each frequency, calculate the magnitude of the total impedance using the equation

$$Z_T = E_{p-p} / I_{p-p} \text{ in Table 8-2.}$$

(c) Plot the curve of measured  $Z_T$  vs. frequency on Graph 8-4 and label the curve.

(d) For each frequency calculate the total impedance using the equation  $Z_T = \sqrt{R^2 + X_L^2}$  and the measured values of  $R$  and  $X_L$ . Insert the results in Table 8-2.



**Graph 8-4**

(e) How do the magnitudes of  $Z_T$  compare for the last two columns of Table 8-2?

Comment:

(f) On Graph 8-4, plot measured  $R$  vs. frequency. Label the curve.

(g) On Graph 8-4, plot measured  $X_L$  vs. frequency. Label the curve.

(h) At which frequency does  $X_L = R$  based on the measured values? At which frequency does  $X_L = R$  based on the nameplate values of  $L$  and  $R$ ?

$f =$  \_\_\_\_\_ Hz (from graph),  $f =$  \_\_\_\_\_ Hz (from nameplate values)

(i) For frequencies less than the frequency calculated in part 8-2(h), is the network primarily resistive or inductive?

(j) The phase angle by which the applied voltage leads the same current is determined by  $\theta = \tan^{-1}(X_L / R)$ . Calculate the phase angle using the measured  $R$  and  $X_L$  for each of the frequencies in Table 8-3.

**Table 8-3**

Frequency (kHz)	$R$ (measured) ( $\Omega$ )	$X_L$ ( $\Omega$ )	$\theta = \tan^{-1}(X_L/R)$ (degree)
1			
10			
20			
40			
60			
80			
100			

(k) At a frequency of 1 kHz, does the phase angle suggest a primarily resistive or inductive network? Explain why.

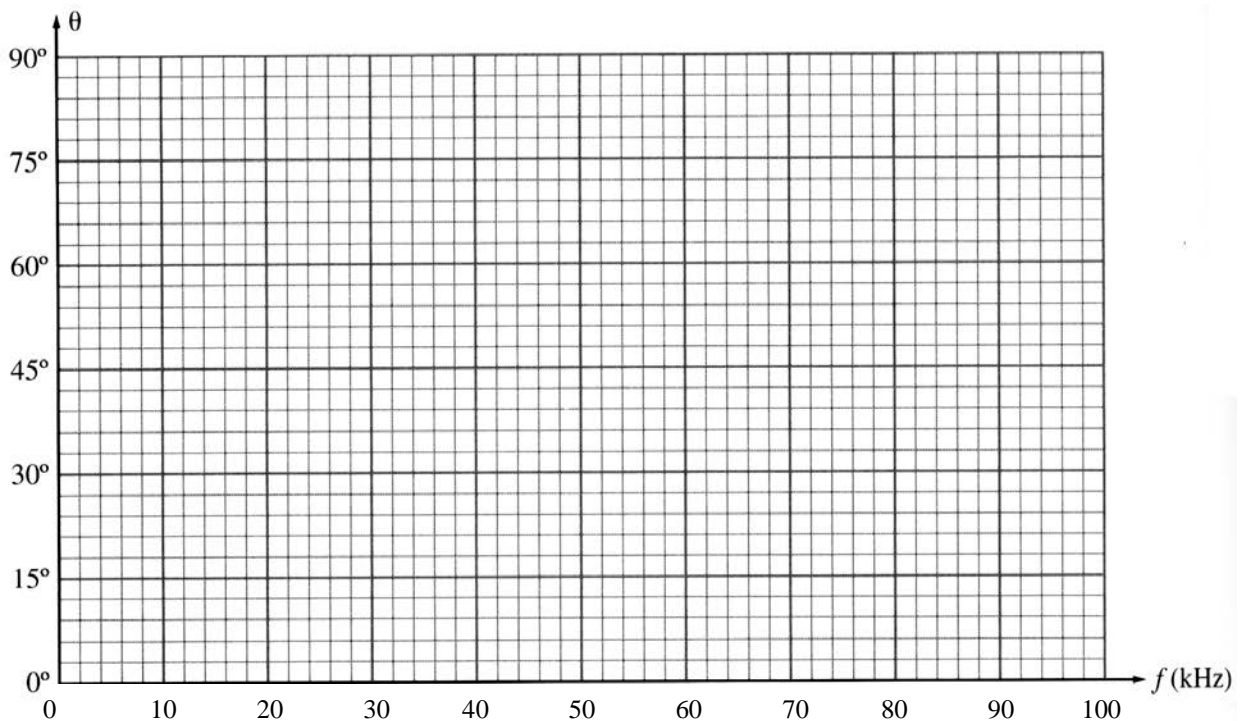
Comment:

(l) At a frequency greater than 80 kHz, does the phase angle suggest a primarily resistive or inductive network? Explain why.

Comment:

(m) Plot  $\theta$  versus frequency for the frequency range 1 kHz to 100 kHz on Graph 8-5. At what frequency is the phase angle equal to  $45^\circ$ ? At  $45^\circ$ , what is the relationship between  $X_L$  and  $R$ ?

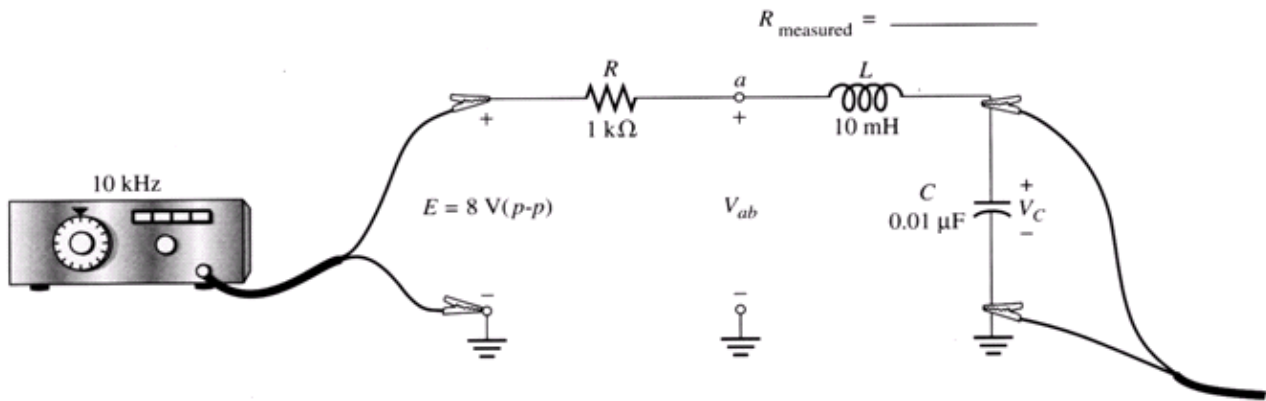
$f$  (measured  $\theta = 45^\circ$ ) = \_\_\_\_\_ Hz



**Graph 8-5**

### **Part 9: Series $R$ - $L$ - $C$ circuit**

(a) Construct the network of Fig. 9-1. Insert the measured resistance value. Ignore the effect of inductor resistance in the following analysis.



**Figure 9-1**

(b) Measure all the component voltages with  $E = 8 \text{ V(p-p)}$  at 10 kHz. Make sure the element is placed in the position of the capacitor  $C$  as in previous experiments.

$V_{R(p-p)} = \underline{\hspace{2cm}} \text{ V}, V_{L(p-p)} = \underline{\hspace{2cm}} \text{ V}, V_{C(p-p)} = \underline{\hspace{2cm}} \text{ V}$

Comment: Is the measured value of  $V_{c(p-p)}$  reasonable? Please explain.

(c) Determine  $I_{p-p}$  from  $I_{p-p} = V_{R(p-p)}/R_{\text{measured}}$ .

$I_{p-p} = \underline{\hspace{2cm}} \text{ A}$

(d) Calculate  $Z_T$  from  $Z_T = E_{p-p}/I_{p-p}$ .

$Z_T = \underline{\hspace{2cm}} \Omega$

(e) Using the nameplate values for L and C and the measured value for R, calculate  $Z_T$  and compare to the result of (d).

$$Z_T(\text{calculated}) = \underline{\hspace{2cm}} \Omega$$

(f) Please explain why  $E_{p-p} = \sqrt{V_{R(p-p)}^2 + (V_{L(p-p)} - V_{C(p-p)})^2}$ , and check with your measured values.

(g) Use the voltage divider rule to calculate the voltage  $V_{ab(p-p)}$ .

$$V_{ab(p-p)}(\text{calculated}) = \underline{\hspace{2cm}} \text{V}$$

(h) Measure the voltage  $V_{ab(p-p)}$  and compare to the result of (g).

$$V_{ab(p-p)}(\text{measured}) = \underline{\hspace{2cm}} \text{V}$$