

Chapter 1

Performance Measurements

Outline

- n Performance
- The power wall
	- The sea change: the switch from uniprocessor to multiprocessor
- **Real stuff: benchmarking the Intel Core i7**
- **Fallacies and pitfalls**
- Concluding remarks

Basic Performance Metric

- **Latency** (Response Time)
	- \blacksquare $\sum T_i$
		- How long does it take for my job to run?
		- How long does it take to execute a job?
		- How long must I wait for the database query?

Fig. 3 Throughput (bandwidth)

- \blacksquare $\sum W_i / \sum T_i$
	- How many jobs can the machine run at once?
	- # of lines of code per day
	- # of bits per second transmitted over a wire
- **n** If we upgrade a machine with a faster processor what do we increase? Latency Throughput
- **n** If we add an additional machine to the lab what do we increase? Latency and the computation of the Throughput

Defining Performance

■ Which airplane has the best performance?

Example: Latency vs. Throughput

- Time to run the task
	- Execution time, response time, latency
- Tasks per day, hour, week, sec, ns ... – Throughput, bandwidth

Performance

- Speed of Concorde vs. Boeing 747
	- \blacksquare 1350 mph vs 610 mph (2.21:1)
	- \blacksquare Concord is 2.2 times faster in terms of flying time
- **n Throughput of Boeing 747 vs. Concorde**
	- 72.3 pph vs 44 pph (1.63 : 1)
	- Boeing is 1.6 times faster (better) in terms of throughput

Relative Performance

- Define Performance = 1/Execution Time
- **n** "X is *n* time faster than Y"

 $\mathsf{Performance}_\times / \mathsf{Performance}_\gamma$

 $=$ Execution time $_{\mathrm{Y}}$ /Execution time $_{\mathrm{X}}$ = n

■ Example: time taken to run a program

- 10s on A, 15s on B
- **Execution Time_R** / Execution Time_A $= 15s / 10s = 1.5$
- So A is 1.5 times faster than B

Measuring Execution Time

Elapsed time \leftarrow

 I/O program

Wall Clock: OS Scheduling

 $($ Non-Deterministic)

- Total response time, including all aspects
	- Processing, I/O, OS overhead, idle time
- Determines system performance
- \blacksquare CPU time \Leftarrow

- **Time spent processing a given job**
	- Discounts I/O time, other jobs' shares
- Comprises user CPU time and system CPU time
- Different programs are affected differently by CPU and system performance

End to End time (Total time) = Elapsed Time + CPU Time

CPU Clocking

ⁿ Operation of digital hardware governed by a constant-rate clock Clock (cycles) Data transfer and computation Update state Clock period Master-Slave Flip Flop Rising Edge Slave Logic (Next Stage)

Clock period: duration of a clock cycle

e.g., 250ps = 0.25 ns = 250×10^{-12} s

ⁿ Clock frequency (rate): cycles per second

e.g., 4.0GHz = 4000MHz = 4.0×10⁹Hz

What is a Clock?

- Logic signal to determine when "state" should be updated
	- \blacksquare Ex: when a register latches output of the adder
	- **It takes time to take values (54, 23) and propagate** through adder
	- \blacksquare Clock period = longest paths between registers (complexity of computation)

- ⁿ CPU Time is the time a processor spends executing a piece of software
- **Performance improved by**
	- Reducing number of clock cycles
	- **n** Increasing clock rate
	- Hardware designer must often trade off clock rate against cycle count

舉例來說:

 10_{ps} 1ps clock 10ps $clock \t 1ps$

10ps!

register

CPU Time Example 1

- \blacksquare CPU Clock freq = 1GHz (clk cycle time = 1 ns = 0.000000001 sec)
- \blacksquare A program takes 5,000,000 cycles to execute
- \blacksquare CPU Time = 5,000,000 $*$ 1 ns = 5,000,000 nsecs = 0.005 seconds

CPU Time Example 2

- ⁿ Computer A: 2GHz clock, 10s CPU time
- **n** Designing Computer B
	- Aim for 6s CPU time
	- Can do faster clock, but causes $1.2 \times$ clock cycles
- How fast must Computer B clock be?

Clock Rate_B =
$$
\frac{\text{Clock Cycles}_{\text{B}}}{\text{CPU Time}_{\text{B}}} = \frac{1.2 \times \text{Clock Cycles}_{\text{A}}}{6s}
$$

\nClock Cycles_A = CPU Time_A × Clock Rate_A

\n
$$
= 10s \times 2 \text{GHz} = 20 \times 10^{9}
$$
\nClock Rate_B =
$$
\frac{1.2 \times 20 \times 10^{9}}{6s} = \frac{24 \times 10^{9}}{6s} = 4 \text{GHz}
$$

CPI: Cycles Per Instruction

CPU: cycles (CPI) Processor: clock rate

Instruction Count and CPI

 $\text{Clock Cycles} = \text{Instruction} \text{Count} \times \text{Cycles}$ per Instruction

CPU Time = Instruction Count × CPI × Clock Cycle Time

Instruction Count \times CPI

Clock Rate

n Instruction Count for a program

=

- Determined by program, ISA and compiler
- Average cycles per instruction
	- Determined by CPU hardware
	- \blacksquare Different instructions have different CPI
		- ⁿ Average CPI affected by instruction mix

CPI Example

- **n** Computer A: Cycle Time = 250ps, CPI = 2.0
- Computer B: Cycle Time = $500ps$, CPI = 1.2
- **Same ISA** Same Instruction Count
- \blacksquare Which is faster, and by how much?

1.2 1×500 ps $\mathsf{I} \times 600 \text{ps}$ CPU Time _A CPU Time_B $=$ $1 \times$ 1.2 \times 500ps $=$ $1 \times$ 600ps $\textsf{CPU Time}_\textsf{B}^{} = \textsf{Instruction Count} \times \textsf{CPI}_\textsf{B}^{} \times \textsf{Cycle Time}_\textsf{B}^{}$ $= I \times 2.0 \times 250 \text{ps} = I \times 500 \text{ps}$ A is faster... $\mathsf{CPUTime}_{\mathsf{A}} = \mathsf{Instruction}\ \mathsf{Count} \times \mathsf{CPI}_{\mathsf{A}} \times \mathsf{Cycle}\ \mathsf{Time}_{\mathsf{A}}$ = \times \times = …by this much

Different CPI in Instruction Sets

- Different instructions take different amount of time to finish
	- **n** Multiply vs. add

ⁿ …

■ Cache hit and misses of load/store

CPI in More Detail

n If different instruction classes take different numbers of cycles

Clock Cycles =
$$
\sum_{i=1}^{n} (CPI_i \times InstructionCount_i)
$$

\nWeighted average CPI

\nMatrixC

\nCPI =
$$
\frac{Clock Cycles}{Instrument} = \sum_{i=1}^{n} (CPI_i \times \frac{Instruction Count_i}{Instruction Count})
$$

\nRelative frequency

CPI Example 1

ⁿ Assume a program has 100 instructions

- 25 load/store (each takes 2 cycles)
- 50 adds (each takes 1 cycle)
- 25 square root (each takes 100 cycles)

Average CPI= total cycles/# of instructions $= [(25*2) + (50*1) + (25*100)]/100$ $=(25/100)^{*}2 + (50/100)^{*}1 + (25/100)^{*}100$ $=26.0$ frequency cycles

improve

 $\ddot{\hspace{1.5cm}}$ $\begin{pmatrix} 1 & 1 & 1 \ 1 & 1 & 1 \ 1 & 1 & 1 \end{pmatrix}$

cycle Avg CPI

CPI Example 2

■ Alternative compiled code sequences using instructions in classes A, B, C

- Sequence 1: $IC = 5$
	- Clock Cycles $= 2 \times 1 + 1 \times 2 + 2 \times 3$ $= 10$
	- \bullet Avg. CPI = 10/5 = 2.0
- Sequence 2: $IC = 6$
	- **n** Clock Cycles $= 4 \times 1 + 1 \times 2 + 1 \times 3$ $= 9$
	- $N_{\rm e}$ Avg. CPI = 9/6 = 1.5

Performance Summary

The BIG Picture

- Three principle components of runtime:
	- Instruction count
	- ⁿ CPI
	- Clock rate
- **Performance depends on**
	- Algorithm: affects IC, possibly CPI
	- Programming language: affects IC, CPI
	- Compiler: affects IC, CPI
	- Instruction set architecture: affects IC, CPI, T_c

Power Trends

Reducing Power

- Suppose a new CPU has
	- 85% of capacitive load of old CPU
	- 15% voltage and 15% frequency reduction

$$
\frac{P_{\text{new}}}{P_{\text{old}}} = \frac{C_{\text{old}}\times 0.85 \times (V_{\text{old}}\times 0.85)^2 \times F_{\text{old}}\times 0.85}{C_{\text{old}}\times {V_{\text{old}}}^2 \times F_{\text{old}}}=0.85^4=0.52
$$

- **n** The power wall
	- We can't reduce voltage further
	- We can't remove more heat
- **How else can we improve performance?**

Processor Performance **Performance**

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cores 4.2 GHz (Boost to 4.5 GHz)

Multiprocessors

- **n** Multicore microprocessors
	- More than one processor per chip
- **Requires explicitly parallel programming**
	- Compare with instruction level parallelism
		- Hardware executes multiple instructions at once
		- Hidden from the programmer
	- Hard to do
		- Programming for performance
		- Load balancing
		- ⁿ Optimizing communication and synchronization

Comparing Performance

- **Recap**
- **n** "X is *n* time faster than Y"

 $\mathsf{Performance}_\times / \mathsf{Performance}_\gamma$

- $=$ Execution time $_{\mathrm{Y}}$ /Execution time $_{\mathrm{X}}$ = n
- **n** It's easy to compare for **one** program ■ What about multiple programs?

Comparing Multiple Programs

n Two machines with two programs

Try to average over machine A $\sqrt{ }$ (program $1 +$ program $2)/2 = (4/2 + 8/12)/2 = 4/3$ **Try to average over machine B** (program $1 +$ program $2/2 = (2/4 + 12/8)/2 = 1$

Solution

n Use Geometric Mean

Note: 1.155=1/0.866

Geometric Mean A B !

SPEC CPU Benchmark

- ⁿ Programs used to measure performance
	- Supposedly typical of actual workload
- Standard Performance Evaluation Corp (SPEC)
	- Develops benchmarks for CPU, I/O, Web, ...

SPEC CPU2006

- **Elapsed time to execute a selection of programs** ⁿ Negligible I/O, so focuses on CPU performance
- ⁿ Normalize relative to reference machine
- Summarize as geometric mean of performance ratios CINT2006 (integer) and CFP2006 (floating-point)

CINT2006 for Intel Core i7 920

SPEC Ratio = Reference Time / Execution Time

SPEC Power Benchmark

Power consumption of server at different workload levels

- **Performance: ssj_ops/sec**
- **Power: Watts (Joules/sec)**

Overall ssj_ops per Watt =
$$
\left(\sum_{i=0}^{10} ssj_ops_i\right) / \left(\sum_{i=0}^{10} power_i\right)
$$

Performance Power

Consumption Tradeoff

SPECpower_ssj2008 for Xeon X5650

Things to Note

- **n** Performance is specific to a particular program/s
	- Total **execution time** is a consistent summary of performance
- For a given architecture performance increases come from:
	- increases in clock rate (without adverse CPI affects and power limits)
	- improvements in processor organization that lower CPI
	- compiler enhancements that lower CPI and/or instruction count

Pitfall: Amdahl's Law

Improving an aspect of a computer and expecting a proportional improvement in overall performance $Improve$ limit(Ex:

- **Example: multiply accounts for 80s/100s**
	- How much improvement in multiply performance to get 5× overall?

$$
20 = \frac{80}{n} + 20
$$
 Can't be done!

Corollary: make the common case fast

Fallacy: Low Power at Idle 謬誤

■ Look back at i7 power benchmark

- ⁿ At 100% load: 258W
- \blacksquare At 50% load: 170W (66%)
- **At 10% load: 121W (47%)**
- Google data center
	- \blacksquare Mostly operates at 10% 50% load
	- \blacksquare At 100% load less than 1% of the time
- Consider designing processors to make power proportional to load

Pitfall: MIPS as a Performance Metric

- MIPS: Millions of Instructions Per Second
	- Doesn't account for
		- Differences in ISAs between computers
		- Differences in complexity between instructions

CPI varies between programs on a given CPU

Concluding Remarks

- Cost/performance is improving
	- Due to underlying technology development
- **Hierarchical layers of abstraction**
	- **n** In both hardware and software
- **n** Instruction set architecture
	- The hardware/software interface
- Execution time: the best performance measure
- **n** Power is a limiting factor
	- **Use parallelism to improve performance**

Tradeoff between Clock

Period and Total Cycle Count

One possible case Adder=1ps, Multiplier=1.5ps, # add instruction= 100 $#$ mul instruction = 20

Originally, if clock= 1.5ps Total cycle= # add+#mul=100+20=120 Total time=120 cycle*1.5ps=180ps

> Clock 1ps, multiplier 2 Cycl e

 \blacksquare Now, if clock=1ps Total cycle= # add+#mul*2=100+40=140 Total time=140 cycle*1ps=140ps Total time= 100 cycle*1ps+20 cycle*1ps+20 cycle*1.1=142ps

(+0.1ps overhead each pipeline stage) cl ock $+0.1$ ps

 \blacksquare Now, if clock=0.5ps Total cycle= # add*2+#mul*3=200+60=260 Total time=260 cycle*0.5ps=130ps Total time= 100*0.5+100*0.6+20*0.5+40*0.6=144ps (+0.1ps overhead each pipeline stage) over head clock cycle